## SUPAJET

## Name:

$\qquad$ Index Number:

## Candidate’s Signature

$\qquad$

## Date

$\qquad$

## 232

RHYSICS
PAPER 3
PRACTICAL
JULY - 2013
TIME - $2 ½$ HRS.

## INSTRUCTIONS.

- Answer ALL the questions in the spaces provided in the question paper.
- You are NOT allowed to start working with the apparatus for the first 15 minutes of the $2 \frac{1}{4}$ hours allowed for this paper.
- This time is to enable you to read the question paper and make sure you have all the apparatus that you may need.
- Electronic calculators may be used
- All working must be clearly shown where necessary.

FOR EXAMINER'S USE ONLY.

| QUESTION | MAXIMUM <br> SCORE | CANDIDATES <br> SCORE |
| :---: | :---: | :---: |
| 1 | 20 |  |
| 2 | 20 |  |
| Total Score | $\mathbf{4 0}$ |  |

Q. 1 You are provided with the follewing

- One half meter rule
- One retort stand
- A boss and a clamp
- One 10 g mass
- Six cylindrical masses with hooks labeled $M_{1}, M_{2}, M_{3}, M_{4}, M_{5}$ and $M_{6}$
- One 100 ml neasuring cylinder
- Three pieges cotton thread
- One $40 \theta^{\prime \prime} \mathrm{ml}$ beaker
- Watef ín a 500 ml beaker


## Proceed as follows

a.i. Balance the rule and note the position of its center of gravity. This point of suspension should be maintained throughout the experiment:
ii. Suspend the cylindrical mass $M_{1}$ at a distance of 3.5 cm from center of gravity of the rule using a looped thread. Suspend the 10 g mass to balance the mass. (see figure 1). Record in table 1, $\mathrm{L}_{1}$, the distance between the center of gravity of the rule and the balance point of the 10 g mass

iii. Suspend M1 in water contained in the 400 ml beaker. Adjust the position of the 10 g mass to balance M1 (See figure 2)

iv. Remove $\mathrm{M}_{1}$ with the loop ofiffiread and determine its volume using the 100 ml measuring cylinder.
Record this volume, $\mathrm{V}_{8} \mathrm{in}^{2}$ table 1

|  | $\mathrm{M}_{1}$ * | $\mathbf{M}_{2}$ | $\mathrm{M}_{3}$ | $\mathbf{M}_{4}$ | M | $\mathbf{M}_{6}$ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Vol V(cm ${ }^{3}$ ) | $j y^{i v^{2}}$ |  |  |  |  |  |
| $\mathrm{L}_{1}(\mathrm{~cm})$ |  |  |  |  |  |  |
| $\mathrm{L}_{2}(\mathrm{~cm})_{x} \mathrm{e}^{-\hat{0}}$ |  |  |  |  |  |  |
| $\left(\mathrm{L}_{1}-Q_{i}\right)(\mathrm{cm})$ |  |  |  |  |  |  |

b. Repeat the procedures a (ii) to a (iv) for the other cylindrical masses and complete the table.
(7mks)
i. On the grid provided, plot the graph of volume ( $\mathrm{y}-\mathrm{axis}$ ) against $\left(\mathrm{L}_{1}-\mathrm{L}_{2}\right)(5 \mathrm{mks})$

ii. Determine the slope of the graph
iii. $\mathrm{C}^{\hat{\prime}}$ Given the equation of the graph as

$$
V=\frac{21}{5 K} \quad L_{1}-L_{2}
$$

Where $K$ is a constant, Determine the value of $K$
d. Design a set up and use it to determine the mass of the half-meter rule without using the cylindrical masses. Draw the set up and show your working. (3mks) Mass of the half metre rule $=$
Q.2. You are provided with the following:

- a voltmeter
- two new dry cells and accel holder
- a switch
- a resistor labeled 思 (4)
- a wire mounteďon a mm scale and labeled G.
- a micrometerscrew gauge (to be shared)
- $\quad$ six connecting wires with six crocodile clips


## Proceed asstollows:

a. Rerecord the length $L_{0}$ of the wire labeled $G$
$L_{0}=$ $\qquad$
Use the micrometer screw gauge provided to measure the diameter of the wire labeled G at two different points and determine the average diameter, d .

The diameter $\mathrm{d}_{1}=$ $\qquad$ $\mathrm{mm}, \mathrm{d}_{2}=$ $\qquad$ mm

Average diameter $\mathrm{d}=$ $\qquad$ mm

Determine the radius $r$ of the wire in metres.

Radius $\mathrm{r}=$ $\qquad$ m
b. Set up the apparatus as shown in the circuit diagram in the figure below.

i. Use the voltmeter provided to measure the p.d $\mathrm{V}_{\mathrm{R}}$ across R and the p.d, $\mathrm{V}_{\mathrm{G}}$ across $G$ when the switch is closed.
$V_{R}=$ $\qquad$ Volts
$\mathrm{V}_{\mathrm{G}}=$ $\qquad$ Volts

## Open the switch

ii. Use the value of $R$ provided and the value of $V_{R}$ in $b$ (i) above to calculate the current I flowing through $R$ when the switch was closed.
I = $\qquad$ Amperes
iii. Deteribine the constant H given that

$$
e^{\mid B P^{P^{x}}=} \frac{100 V_{G}}{1 x L_{0}}
$$

$$
H=\ldots \ldots \ldots \ldots \ldots \ldots \ldots \ldots \ldots \ldots \ldots \ldots \ldots \ldots \ldots \ldots \ldots . . . \ldots m^{-1}
$$

c. Connect the voltmeter across R as shown in the figure below.


Adjust the position of one crocodile clip on the wire $G$ to a point such that the length $L$ of the wire in the circuit is 5 cm (see the figure above). Close the switch.
Read and record in the table 2 the value for the p.d across R. Open the switch.
d. Repeat the procedure in (c) above for the other values of $L$ shown in table 2.

Table 2

| Distance L (cm) | 0 | 5 | 10 | 20 | 30 | 40 | 60 | 70 |
| :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- |
| p.d V across <br> R (V) |  |  |  |  |  |  |  |  |

(3mks)
e.i. On the grid provided plot the graph of $V$ (y-axis) against $L$
(ii) From the graph determine $1 c_{1}^{5}$, the value of $L$ when $V=\frac{V_{0}}{2}$ where $V_{0}$ is the p.d where $L=0$

Determine the constant $D$ for the wire given that

$$
D=\frac{R}{L_{1}} \times \frac{300}{V_{0}}
$$

g. Determine the constant $p$ given that

$$
P=\frac{\pi r^{2}}{2}(D+H) \text { where } r \text { is the radius of the wire in metres. } \quad(2 m k s)
$$

